



# Analyzing the Evolution of Web Usage Data

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## Outline

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- Motivations for this work
- Our proposition
- Clustering approach based on time sub-periods
- The benchmark website analyzed
- Results analysis
- Final conclusion
- Future works

## Introduction

- **The WWW:**
  - one of the most relevant examples of voluminous and dynamic data sources
- **Web access patterns have a dynamic nature, due to:**
  - the dynamism of the website's content and structure  
or
  - the change of user's interest
- **Access patterns may depend on:**
  - time of day, day of the week
  - recurrent factors (summer/winter vacations, national holidays, seasonality)
  - non-recurrent global events (epidemics, wars, the World Cup)
  - etc.

## Motivations for this work

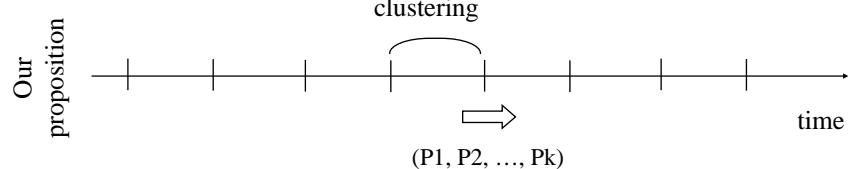
- The majority of methods in the Web Usage Mining (WUM) domain take into account the whole period of usage traces.
  - **Consequence:**
    - the results are those predominant in the entire period of analysis
  - **Negative side effects:**
    - behaviour patterns occurring in short periods of time are not detected by traditional methods

## Our proposition

- To carry out an analysis on significant time **sub-periods**, in order to:
    - identify the change of user's interest
    - follow the evolution of user's profiles over time
- using

Summaries to represent user profiles

## Our proposition



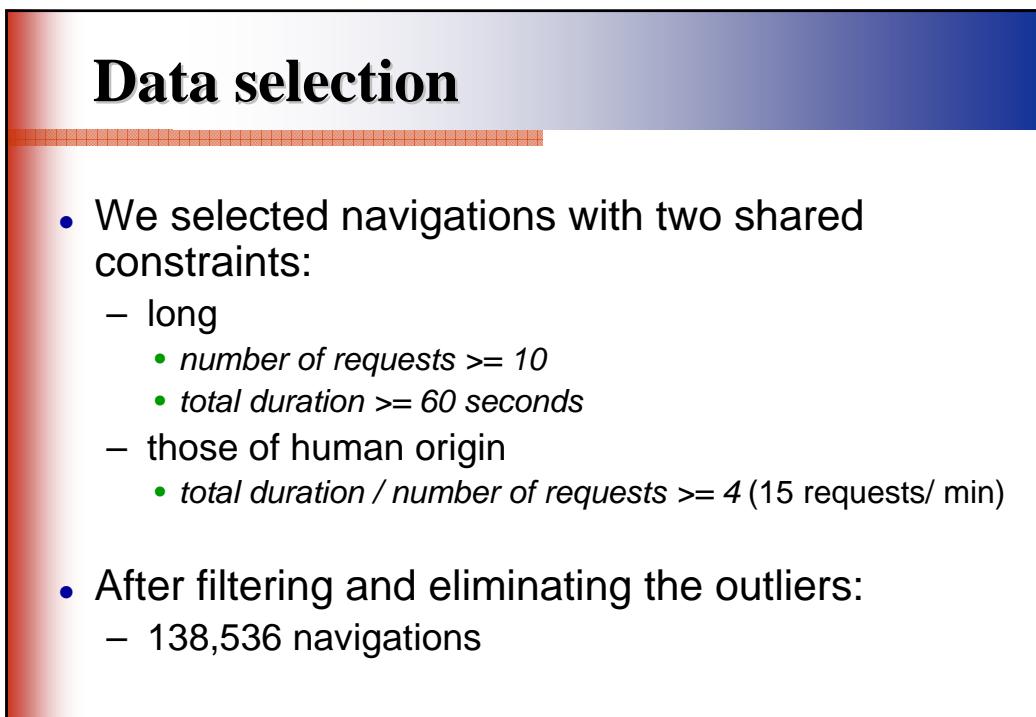
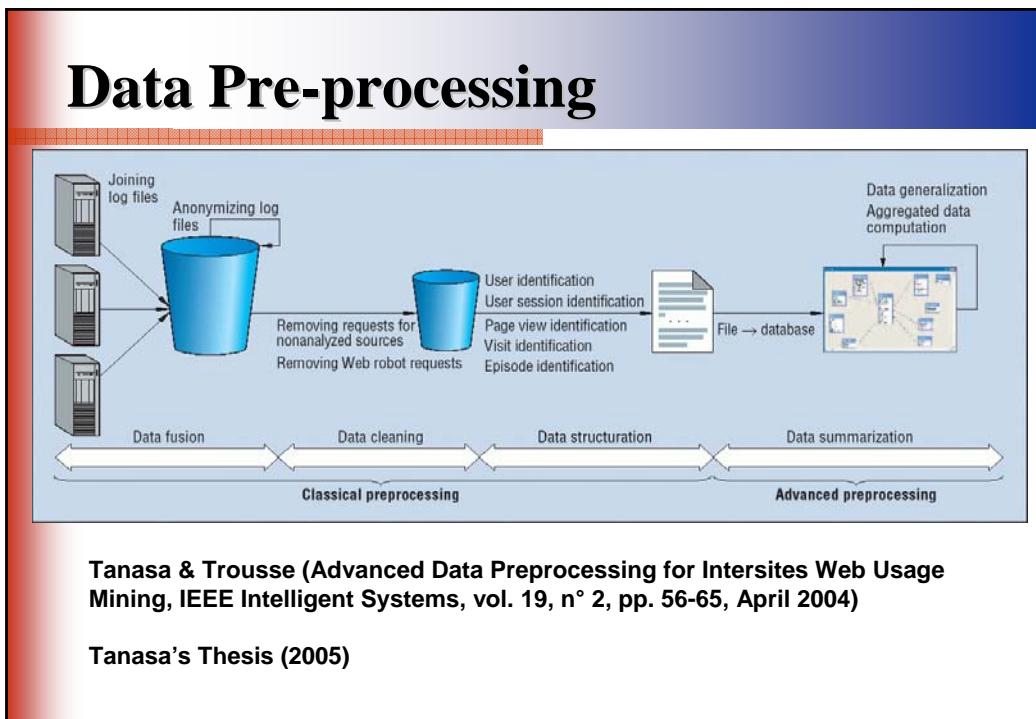
## The website analyzed

- Recife's (Brazil) Information Technology Centre website (<http://www.cin.ufpe.br/>):
  - static pages (personal web pages, lessons pages, etc.)
  - 91 dynamic pages (maintained by Java servlets in a semantic structure)
- We retrieved the traces of usage:
  - 1 July 2002 – 31 May 2003 (roughly 2Go of raw data)

## Common Log Format (CLF)

[remotehost] [name] [login] [date] [url] [status] [size] [referrer] [agent]

- **remotehost** *remote identification ( hostname or IP address )*
- **name/login** *the remote login name of the user*
- **date** *date and time of the request*
- **URL** *requested page in the site (www.<...>)*
- **status** *returned code (Indicates whether or not the file was successfully retrieved)*
- **size** *the number of bytes transferred*
- **referrer** *the url the client was on before requesting the current url*
- **agent** *the software the client is using*



## Statistical attributes for navigations' description

<i>N°</i>	<i>Field</i>	<i>Meaning</i>
1	<b>IDNavigation</b>	Navigation code
2	<b>NbRequests_OK</b>	Number of successful requests (status = 200) in the navigation
3	<b>NbRequests_bad</b>	Number of failed requests (status < > 200) in the navigation
4	<b>MRequests_OK</b>	Percentage of successful requests (= NbRequests_OK / NbRequests)
5	<b>NbRepetitions</b>	Number of repeated requests in the navigation
6	<b>MRepetitions</b>	Percentage of repeated requests (= NbRepetitions / NbRequests)
7	<b>TotalDuration</b>	Total duration of the navigation (in seconds)
8	<b>ADuration</b>	Average of request duration (= TotalDuration / NbRequests)
9	<b>ADuration_OK</b>	Average of duration among successful requests (= TotalDuration_OK / NbRequests_OK)
10	<b>NbRequests_Sem</b>	Number of requests for the (91) dynamic pages concerning the site's semantic structure
11	<b>MRequests_Sem</b>	Percentage of semantic requests (= NbRequests_Sem / NbRequests) in the navigation
12	<b>TotalSize</b>	Total bytes transferred in a navigation
13	<b>ASize</b>	Average of transferred bytes among requests (= TotalSize / NbRequests_OK)
14	<b>MaxDuration_OK</b>	Maximum request duration among successful requests

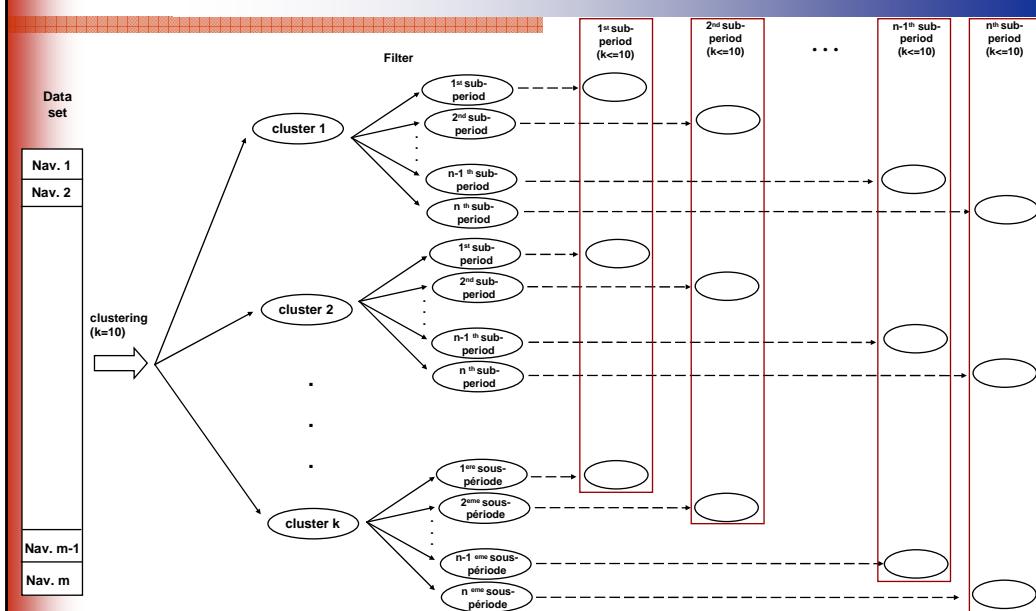
## Clustering approach based on time sub-periods

- To split the analyzed period into more significant time sub-periods: *months of the year*
- The clustering is carried out by an adapted version of the dynamic clustering algorithm (Celeux et al. (1989)):
  1. Assignment of new individuals to a previous clustering
  2. Initialization of the algorithm with the results of another clustering carried out by itself

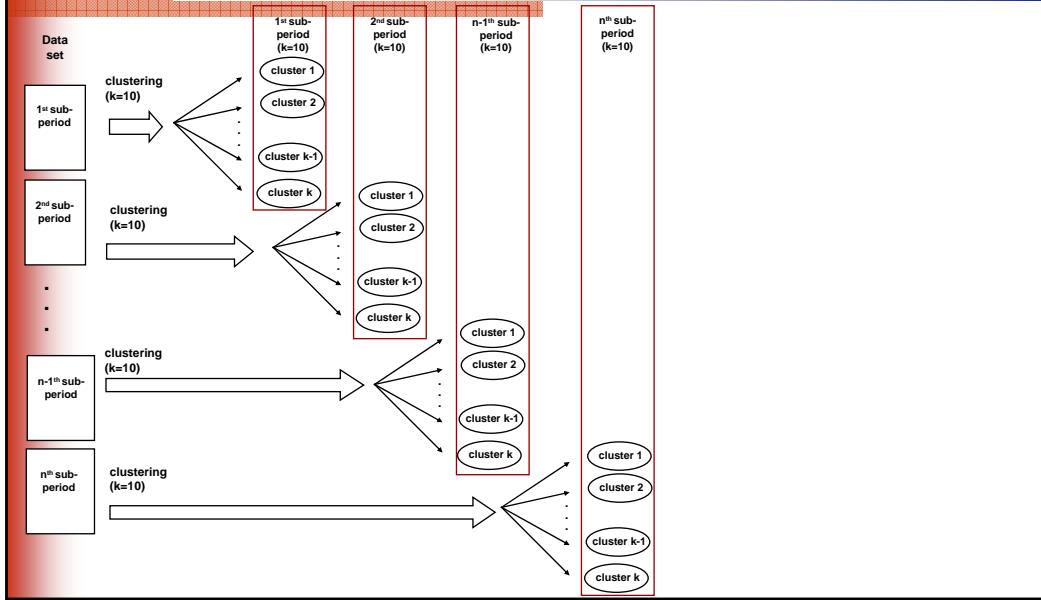
## Clustering approach based on time sub-periods

- Algorithm parameters :
  - Number of clusters = 10
  - Number of repetitions = 100
- To carry out four types of clustering :
  1. Global clustering
  2. Independent local clustering
  3. Previous local clustering
  4. Dependent local clustering

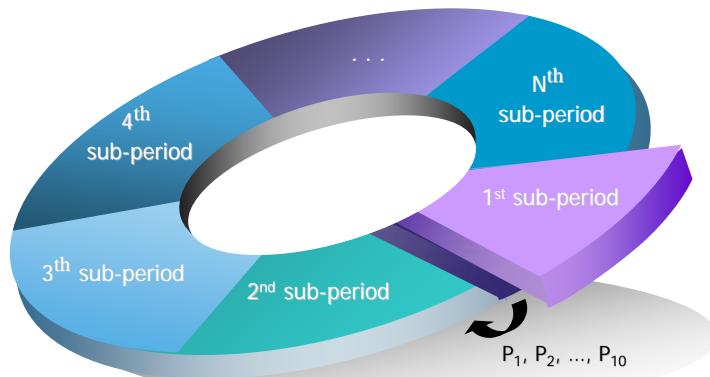
## (1/4) Global clustering



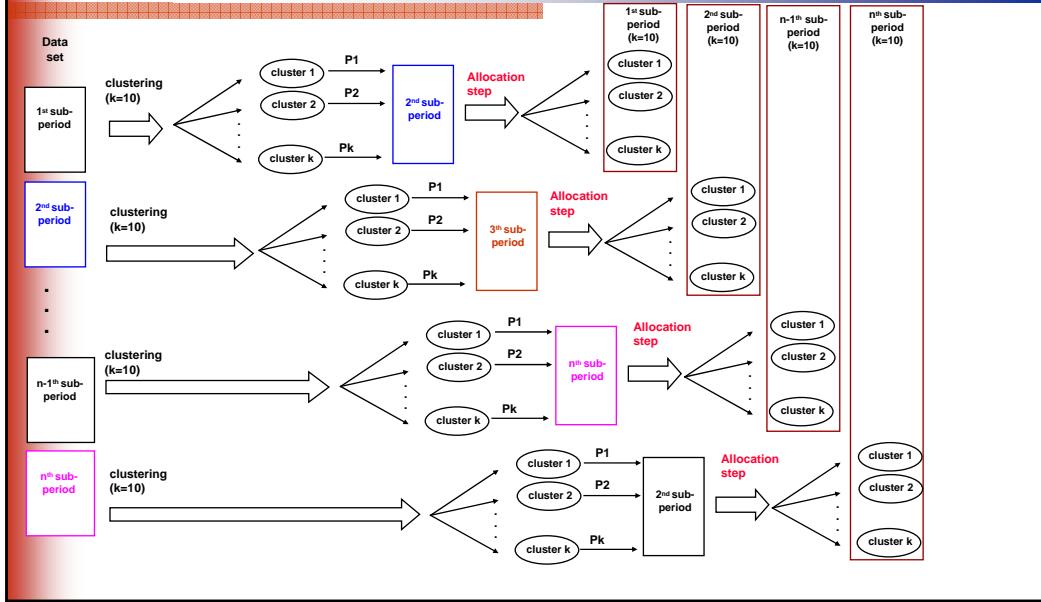
## (2/4) Independent local clustering



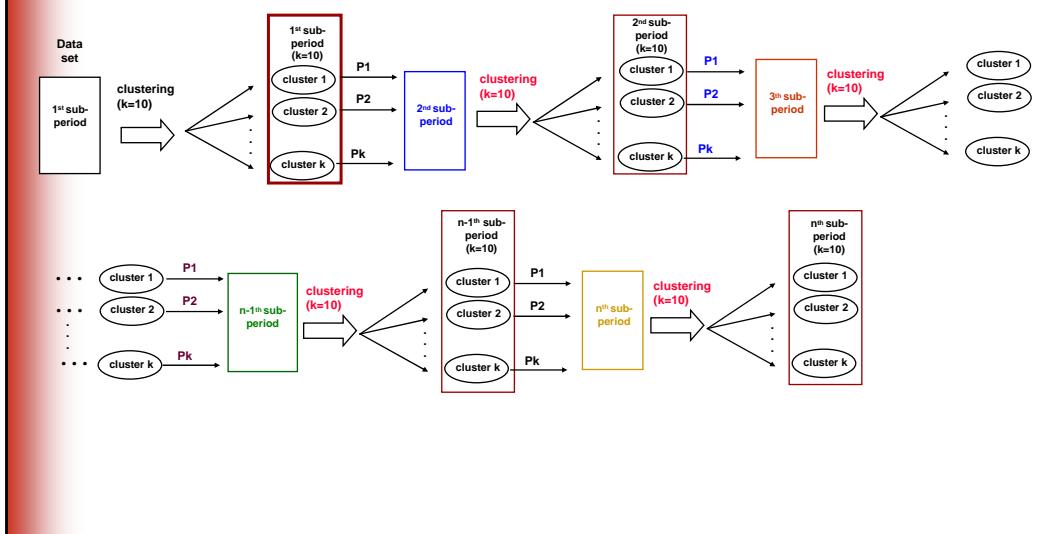
## Previous and dependent local clustering



## (3/4) Previous local clustering



## (4/4) Dependent local clustering



## Results analysis

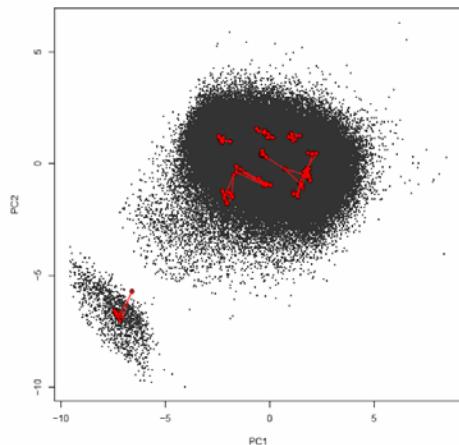
- Evaluation criteria :
  - For a cluster-by-cluster analysis
    - F-measure (van Rijsbergen (1979))
  - For a global analysis between two partitions
    - Corrected Rand index (Hubert et Arabie (1985))

## Follow-up of cluster prototypes

- To better understand the cluster evolution over time sub-periods, we planned to:
  - Follow the evolution of cluster prototypes (month by month) for the local clustering: *independent* and *dependent*
  - Project these prototypes on the factorial plan computed over the total population

## Follow-up of cluster prototypes

Independent local clustering



Dependent local clustering

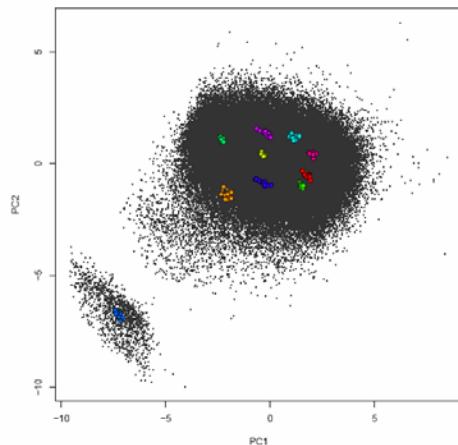


Fig.1 Projection and follow-up of cluster prototypes for local clustering.

## Intra-cluster variance

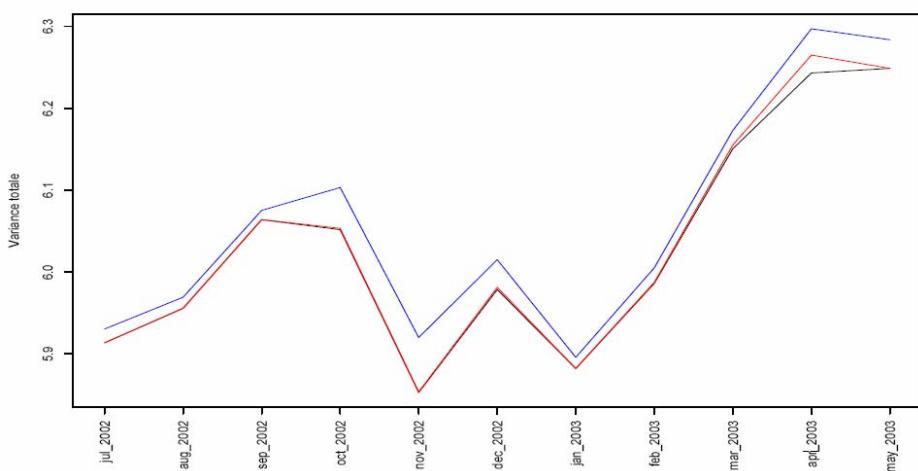


Fig.3 Intra-cluster variance for clustering : independent (black line), dependent (red line) and global (blue line).

## Corrected Rand index results

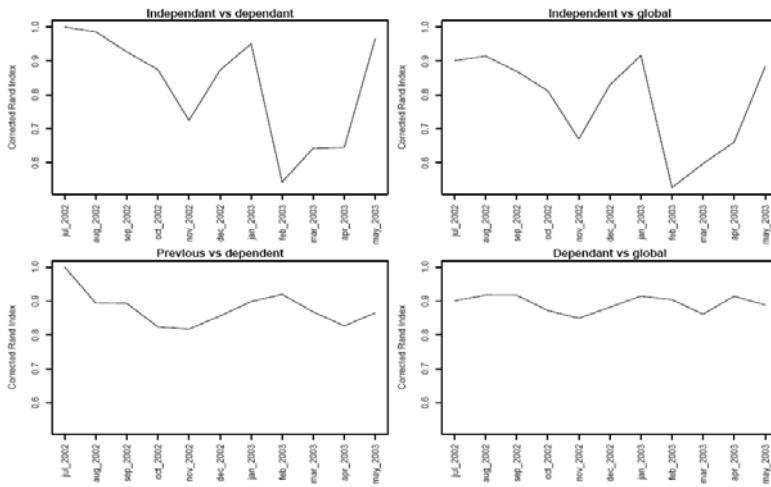


Fig.4 Cluster-by-cluster corrected Rand index.

## F-measure results

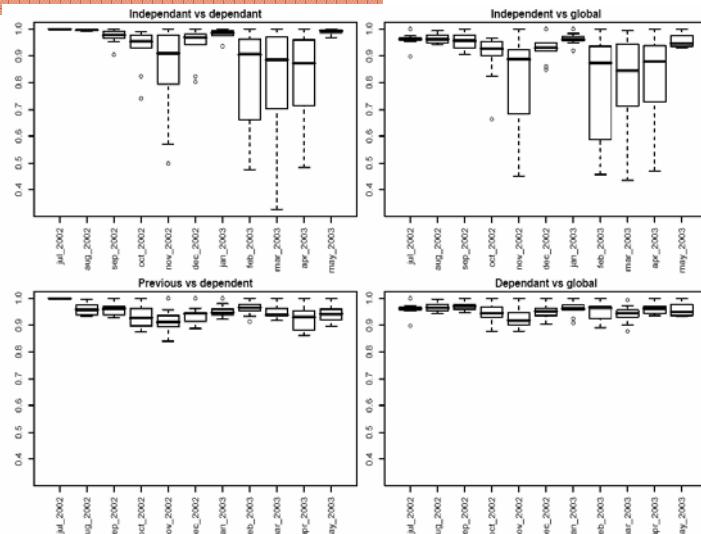


Fig.5 Boxplots corresponding to cluster-by-cluster F-measures.

## Conclusion

- The methods of *global* and *dependent local* clustering show that the obtained partition do not change over time or change only a bit
- The method of **independent local clustering** is more sensitive to changes occurring between two sub-periods
- The analysis of dynamic data by means of time sub-periods offers advantages:
  - makes the method more effective in terms of cluster discovery
  - allows to overcome difficulties related to physical limitations (memory size, processor speed, etc.)

## Future works

- Implementation of other clustering methods
- Application of techniques allowing the automatic discovery of the cluster number
- Identification of merge and split between clusters over time

Thanks for your attention!

Questions



## Intra-cluster variation

$$V(Q) = \sum_{j=1}^k \sum_{x \in C_j} d(x, P_j)$$

## F-measure

The F-mesure combines the concepts of precision and recall between two  $U_i$  and  $C_k$  of two partitions.

**The recall is defined as  $R(i,k) = n_{ki} / n_k$ .**

*It computes the percentage of elements from class a priori  $k$  founded in class  $i$  obtained by the classification method.*

*The recall also decreases when the number of classes in the partition obtained by the classification decreases.*

**The precision is defined as  $P(i,k) = n_{ki} / n_i$ .**

*It computes the percentage of elements from class  $i$  founded in the a priori class  $k$ .*

*The precision increases when the number of classes in the partition obtained by the classification decreases.*

## F-measure

The F-measure between the *a priori* partition U in K classes and the partition P obtained by the classification method is defined as:

$$F = \sum_{k=1}^K (n_{.k}, n) \max_j (2.R(k, j).P(k, j) / (R(k, j) + P(k, j)))$$

F-measure for the *a priori* class k :

$$F(k) = \max_j (2.R(k, j).P(k, j) / (R(k, j) + P(k, j)))$$

## Corrected Rand index

$$\begin{array}{ccccccc}
 & v_1 & v_2 & \dots & v_c & & \\
 \begin{array}{c} u_1 \\ u_2 \\ \vdots \\ u_R \end{array} & \boxed{\begin{array}{cccc} n_{11} & n_{12} & \dots & n_{1C} \\ n_{21} & n_{22} & \dots & n_{2C} \\ \vdots & \vdots & & \vdots \\ n_{R1} & n_{R2} & \dots & n_{RC} \end{array}} & & n_{1\cdot} & n_{2\cdot} & \dots & n_{R\cdot} \\
 & n_{\cdot 1} & n_{\cdot 2} & \dots & n_{\cdot C} & n_{\cdot \cdot} = n &
 \end{array}$$

$$CR = \frac{\sum_{i=1}^R \sum_{j=1}^C \binom{n_{ij}}{2} - \binom{n}{2}^{-1} \sum_{i=1}^R \binom{n_{i\cdot}}{2} \sum_{j=1}^C \binom{n_{\cdot j}}{2}}{\frac{1}{2} \left[ \sum_{j=1}^C \binom{n_{\cdot j}}{2} + \sum_{i=1}^R \binom{n_{i\cdot}}{2} \right] - \binom{n}{2}^{-1} \sum_{i=1}^R \binom{n_{i\cdot}}{2} \sum_{j=1}^C \binom{n_{\cdot j}}{2}}$$

## Key statistics

- After the pre-processing and data selection:
  - 138,536 navigations
  - 184,275 pages (where 91 dynamics)
  - 56,314 users
  - Average duration of page visualization:
    - 1.19 minutes

***Web Usage Mining: Sequential Pattern Extraction with a Very Low Support.***

Masseglia et al. In Advanced Web Technologies and Applications, APWeb 2004, Hangzhou, China. Vol. 3007, pages 513-522 of LNCS, 2004.

- The authors propose a method of recursive division for discovering sequential patterns of weak support (until 0.006%):
  - hacking activities
  - minority users' behaviours
- The split is based on a classification over the whole log and on time

## The dynamic clustering method

Let  $E$  be a set of  $n$  objects  $\{s_1, \dots, s_n\}$  described by  $p$  variables,  $\Lambda$  be a set of prototypes and  $\psi$  be a distance function on  $D_x \times \Lambda$ .

Each object  $s$  of  $E$  is described by a vector  $\mathbf{x}_s$  of  $D_x$  (the representation space of elements in  $E$ ).

The problem is to find simultaneously:

- one partition  $P = (C_1, \dots, C_K)$  of  $E$  in not empty  $K$  classes
- the prototypes  $L = (L_1, \dots, L_K)$  of  $\Lambda$  which optimise the criteria  $\Delta(P, L)$ :

$$\Delta(P, L) = \sum_{k=1}^K \sum_{s \in C_i} \psi(\mathbf{x}_s, L_k) \quad C_k \in P, L_k \in \Lambda$$

## The dynamic clustering algorithm Diday (1971)

### (a) Initialization

Choose  $K$  distinct prototypes  $L_1, \dots, L_K$  in  $\Lambda$

### (b) Allocation

For each objet  $s_i$  of  $E$  compute the index  $l$  of the affectation class which verifies  $l = \arg \min_{k=1, \dots, K} \psi(x_i, L_k)$

### (c) Representation

For each class  $k$  find the prototype  $L_k$  in

$$\Lambda \text{ which minimizes } w(C_k, L) = \sum_{s \in C_k} \psi(x_s, L)$$

Repeat (b) and (c) until the convergence

## The original $k$ -means algorithm

Suppose we have a sample of infinite size.

With the  $x_t$  implementation, we only have information regarding the sample of size  $t$ .

*Initialization* Choose  $K$  points in  $\mathfrak{R}^p$   $L_0 = (L_0^1, \dots, L_0^K)$

*At the  $t$  step* We associate the  $x_t$  implementation to the class  $k$  which has the nearest prototype  $k = \arg \min_{l=1, \dots, K} \psi(L_l^t, x_t)$

We modify the prototype of the class  $k$  by  $L_{t+1}^k = \frac{n_k L_t^k + x_t}{n_k + 1}$   
where  $n_k$  is the number of implementation already put into the class  $k$ .

*Stopping criterion* we must have  $\psi(L_{t+1}, L_t) \leq \varepsilon$

## Projection of cluster prototypes

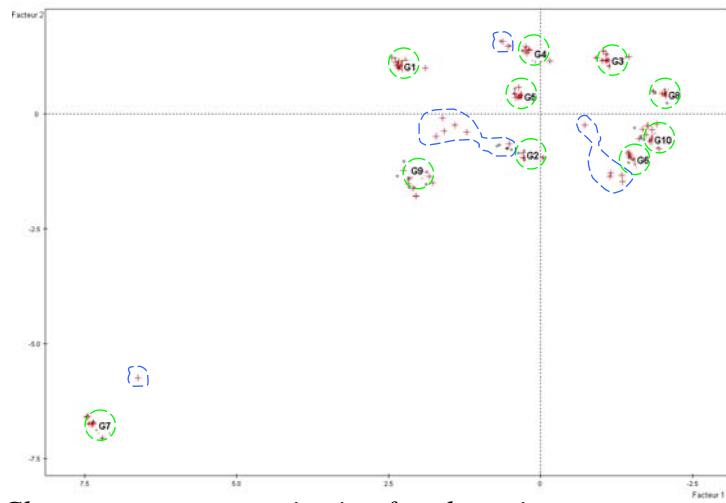


Fig.2 Cluster prototypes projection for clustering :  
global ( $G_1, G_2, \dots, G_{10}$ ), dependent local ( $\circ$ ) and independent local ( $+$ ).